

# UNIVERSITÀ DEGLI STUDI DI MILANO-BICOCCA

# **COURSE SYLLABUS**

# **Geometry I**

2122-1-E3501Q004

#### **Aims**

Give an elementary introduction to geometry and topology.

#### **Contents**

Fundamentals of point-set topology and some aspects of euclidean and projective geometry will be discussed.

#### **Detailed program**

**Topological spaces and continuous functions.** Metric topology. Topological spaces. Basis of a topology. Subsets of a topological space. Continuous functions and homeomorphisms.

**Examples of topological spaces.** Subspaces. Products. Quotients.

**Topological properties.** Separation axioms and Hausdorff spaces. Compactness. Completeness and compactness in metric spaces. Connected and path-connected spaces. Locally Euclidean spaces and topological manifolds.

Euclidean and projective spaces. Geometry of euclidean and projective spaces.

## **Prerequisites**

Limits	and	continuity	of real	functions.	Linear	Algebra.

## **Teaching form**

Classroom lectures will be split into: theoretical sessions (discussion of relevant results of the theory, examples, and counterexamples), exercises sessions (training how to solve exercises and problems).

### Textbook and teaching resource

S. Francaviglia, Topologia

https://www.amazon.it/Topologia-Seconda-Edizione-Esercizi-Esempi/dp/1658028929/

https://www.dm.unibo.it/~francavi/

- E. Sernesi, Geometria, vol. I-II. Bollati-Boringhieri (1989, 1994).
- J. Dugundji, Topology, 20ma edition, Allyn and Bacon Inc.
- J. R. Munkres, Topology, 2nd edition. Prentice Hall (2000).
- J. R. Munkres, Elements of algebraic topology, Addison Wesley (1984).
- C. Kosniowski, Introduzione alla topologia algebrica. Zanichelli (1988).
- M. Manetti, Topologia, 2a edizione. Springer-Verlag (2014).

#### Semester

spring

Assessment method
The exam is split into two parts.
Written part -
Oral part -
Office hours
by appointment