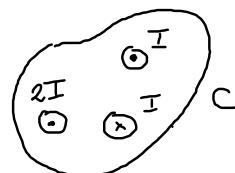


Th Bruspare

$$\oint_C \underline{B} \cdot d\underline{l} = \mu_0 I_{\text{conc}}$$

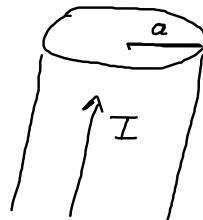
C: generico circuito geometrico

d'l: elemento infinitesimo lungo il circuito C



$$I_{\text{conc}} = 2I + I - I = 2I$$

Filo percorso da corrente

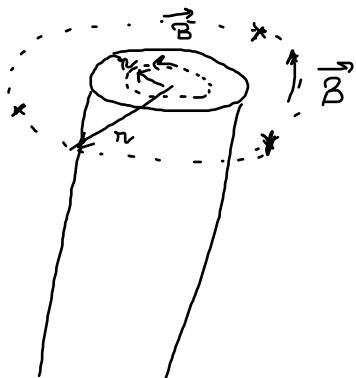


+ uniforme

- $\underline{B} = ?$ dentro e fuori dal filo

L'asse di campo sono circonference centrate sull'asse del filo

\Rightarrow scelgo C della stessa "forma"



$$\oint_C \vec{B} \cdot d\vec{l} = \oint_C B dl = B \oint_C dl = 2\pi r B \quad \text{vero per punti sia dentro il filo, sia fuori}$$

Diagram showing two cases for the loop C : one inside the cylinder ($r < a$) and one outside ($r > a$). In both cases, the magnetic field B is parallel to the differential length element dl , so $\vec{B} \cdot d\vec{l} = B dl$.

For $r < a$, the loop C has radius r and circumference $2\pi r$. For $r > a$, the loop C has radius r and circumference $2\pi r$.

$$\text{Se } r > a : \quad I_{\text{conc}} = I$$

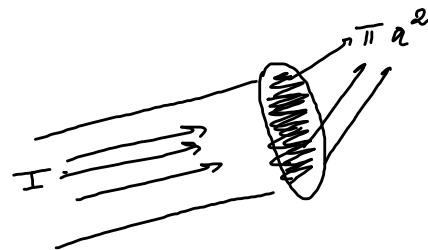
$$2\pi r B = \mu_0 I; \quad B(r) = \frac{\mu_0}{2\pi} \frac{I}{r}$$

Se

$r < a$:

$\rightarrow j$ ist uniforme
dens. ^{sup.} konstant

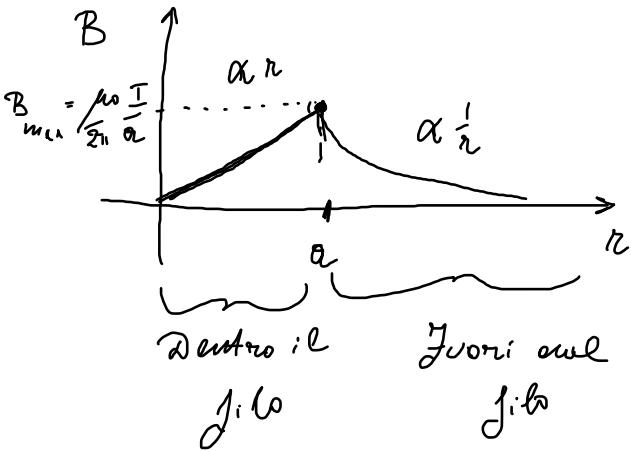
$$j = \frac{I}{\pi a^2}$$



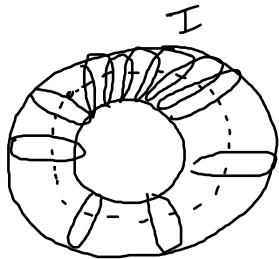
$$A_{\text{cross} \perp} = \pi r^2$$

$$I_{\text{conc}} = j \cdot \pi r^2 = \frac{I}{\pi a^2} \pi r^2 = \frac{I}{a^2} r^2$$

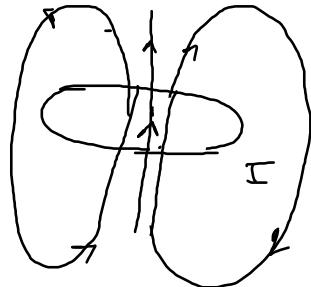
$$2\pi r B = \mu_0 \cdot \frac{I r^2}{a^2}; \quad B = \frac{\mu_0}{2\pi} \frac{I}{a^2} \frac{r^2}{r}$$



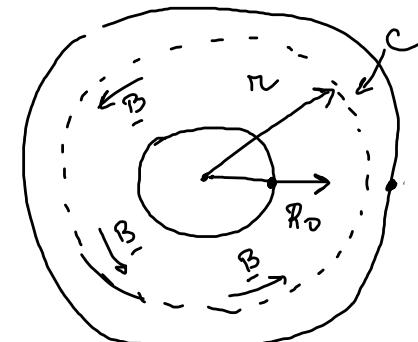
Toroidale



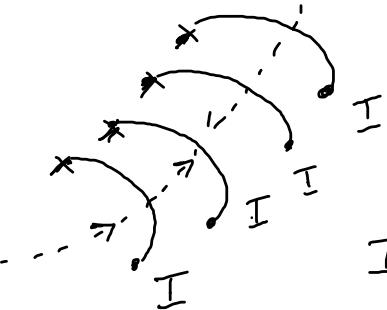
Spirale circolare generata da I
 Linee di campo lungo circonferenze
 I



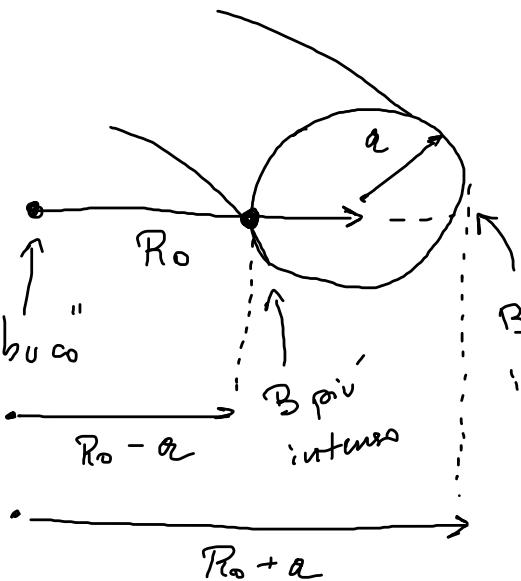
Scelgo come C: circonferenza di raggio r
 $R_0 - \alpha < r < R_0 + \alpha$



centro del "buco"



$$I_{\text{conc}} = \underline{I} \cdot N$$



$$\oint_C B \cdot d\underline{l} = 2\pi r B$$

come per il filo

B meno intenso

N: # di spire sull'avvolgimento

$$2\pi n B_o = \mu_0 N I;$$

$$B(n) = \frac{\mu_0}{2\pi} \frac{NI}{n}$$

$$B_{max} \text{ é pen } r = R_o - a : B_{max} = \frac{\mu_0}{2\pi} \frac{NI}{R_o - a}$$

$$B_{min} \text{ é pen } r = R_o + a : B_{min} = \frac{\mu_0}{2\pi} \frac{NI}{R_o + a}$$

$$\frac{B_{min}}{B_{max}} = \frac{\cancel{\mu_0}}{\cancel{2\pi}} \cdot \frac{\cancel{NI}}{R_o + a} \cdot \frac{\cancel{\frac{2\pi}{\mu_0}}}{\cancel{NI}} \frac{R_o - a}{R_o + a} = \frac{R_o - a}{R_o + a} = \frac{R_o(1 - \frac{a}{R_o})}{R_o(1 + \frac{a}{R_o})}$$

$$= \frac{1 - \frac{a}{R_o}}{1 + \frac{a}{R_o}}$$

$$\text{Corrpo mag. uniforme: } \frac{B_{min}}{B_{max}} = 1$$

$$\frac{B_{\min}}{B_{\max}} = \frac{1 - \frac{\alpha}{R_0}}{1 + \frac{\alpha}{R_0}}$$

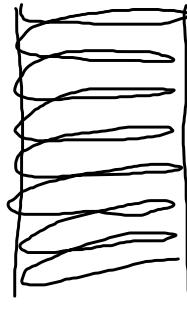
Vorrei:
 $\frac{B_{\min}}{B_{\max}} = 1 \quad : \quad \frac{\alpha}{R_0} = 0; \quad \alpha = 0$

$\hookrightarrow \text{Se}$ $\frac{\alpha}{R_0} \ll 1$ $\frac{\alpha}{R_0} \rightarrow 0$

$\text{Se} \quad R_0 \xrightarrow[]{} +\infty$

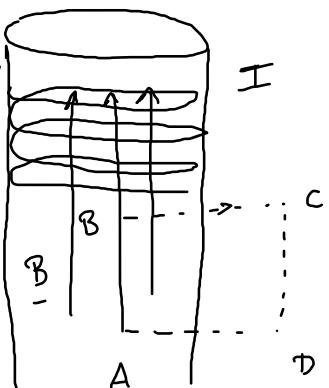

 R_0 "piccolo"


 R_0 "grande"



Solenoid

Campi magnetici del solenoide



$$\oint_C \underline{B} \cdot d\underline{l} = \mu_0 I_{\text{conc}}$$

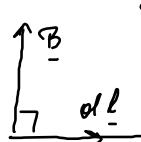
C: rettangolo ABCD

$$\oint_C \underline{B} \cdot d\underline{l} = \int_{AB} + \int_{BC} + \int_{CD} + \int_{DA}$$

Lati \perp :

"perfetto fuori": $B = 0$

"perfetto dentro": $B = 0$

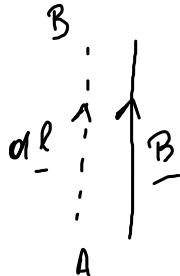


$B = 0$ fuori dal solenoide

$$\underline{B} \cdot d\underline{l} = 0$$

perché $B \perp d\underline{l}$

$$\int_{AB} \underline{B} \cdot d\underline{l} = \sqrt{\int_{AB} B dl} = B \cdot \int_{AB} dl = B \cdot \overline{AB}$$



d lungo AB:

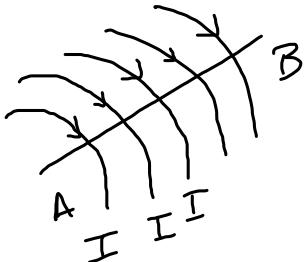
$$B \parallel d\underline{l}$$

$$-\quad B \cdot d\underline{l} = B dl$$

$$\underline{I}_{\text{conc}} = I \cdot N$$

lungo \overline{AB}

in spire



$$B \cdot \overline{AB} = \mu_0 I N_{\text{spire}}$$

$$B = \mu_0 I \cdot (n)$$

n: $\frac{\# \text{spire}}{m}$

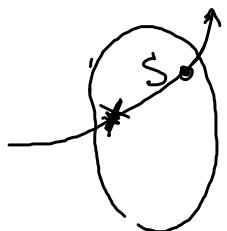
Campo elettostatico:

$$\int_S \underline{E} \cdot d\underline{s} = \frac{q^{int}}{\epsilon_0}$$

$$\oint_C \underline{E} \cdot d\underline{l} = 0$$

Campo magnetostatico:

$$\oint_C \underline{B} \cdot d\underline{l} = \mu_0 I^{conc}$$



$$\int_S \underline{B} \cdot d\underline{s} = 0$$