

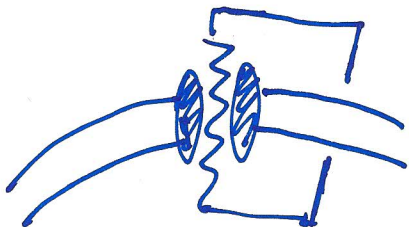
$$I = \frac{\text{cariche}}{A \cdot t} \quad (\text{DENSITA})$$

$$I = \frac{1}{R} \Delta V$$

$$\frac{1}{R} = G$$

$R =$  Resistenza

$G =$  Conduttanza



$$I = G V$$

$$\text{se } V=0 \Rightarrow I=0$$

NO nelle cellule!

se  $V_m = 0$

le  $K^+$  esce dalla cellula per  $\Delta G$

$Na^+$  entra nella " " "

(ELETTRODIFFUSIONE)

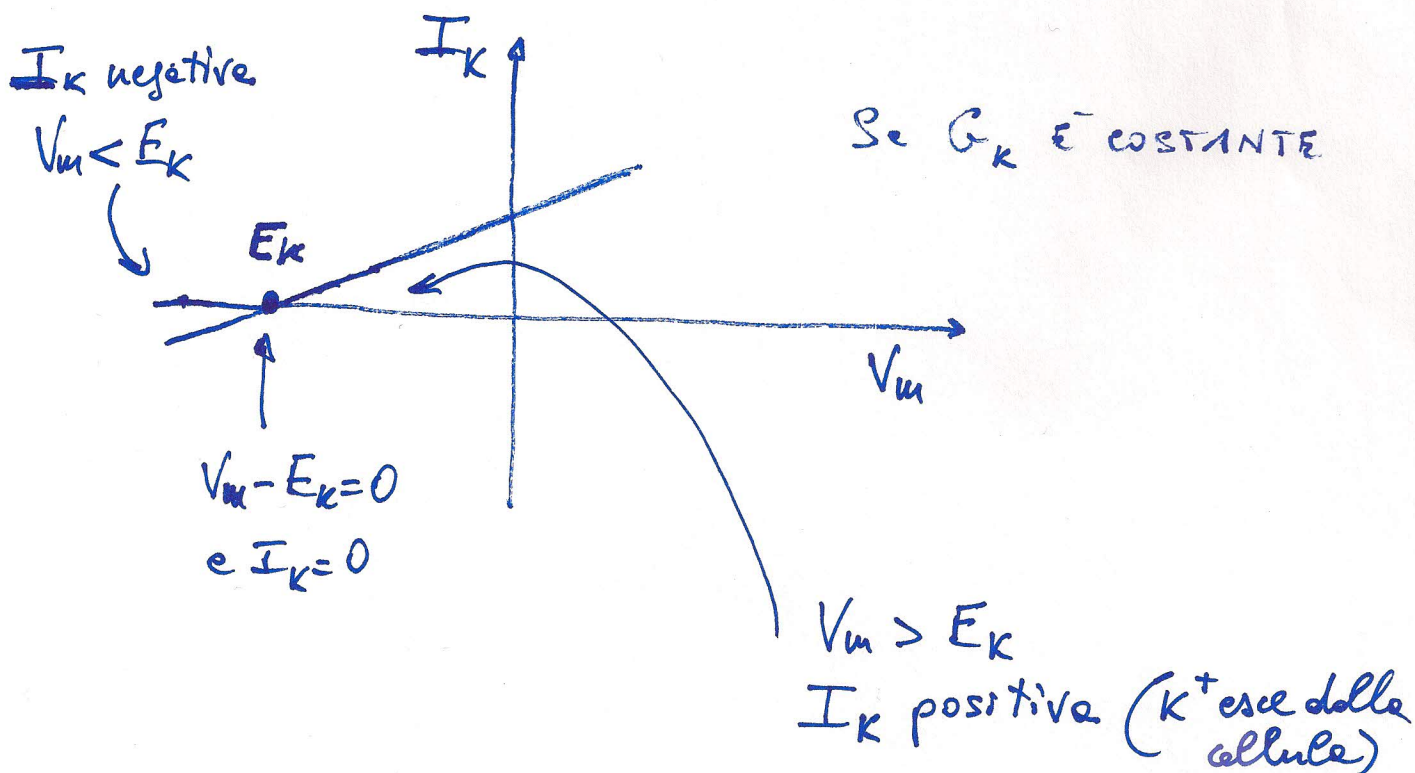
( I POSITIVA : CATIONI CHE ESCONO DALLA CELLULA  
 I NEGATIVA : " " ENTRANO NELLA CELLULA )

$$I_i = G_i (V_m - E_i) \quad \text{se } V_m = E_i \\ \Rightarrow I_i = 0$$

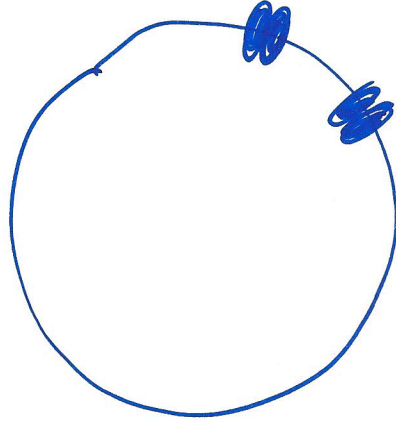
per ora supponiamo di non considerare tipi specifici di canali, ma solo la permeazione di un certo ione.

l'es. :

$$I_K = G_K (V_m - E_K)$$



$t = 0$

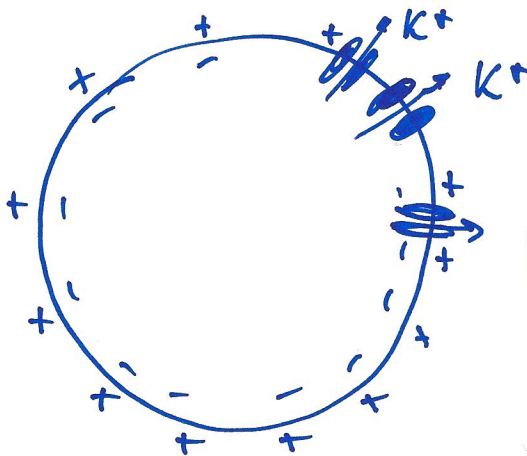


CANALI TUTTI  
CHIUSI

$$V_m = 0$$

$t = 1$

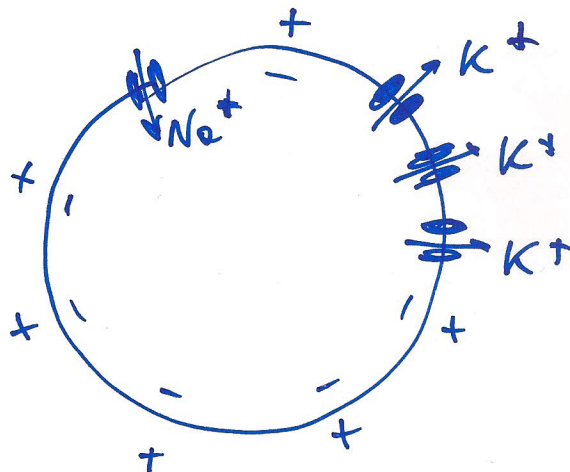
APRIAMO SOLO CANALI PER IL  $K^+$



$$V_m = E_K \approx -90 \text{ mV}$$

$t = 2$

APRIAMO ANCHE UN PO' DI CANALI DEL  $Na^+$

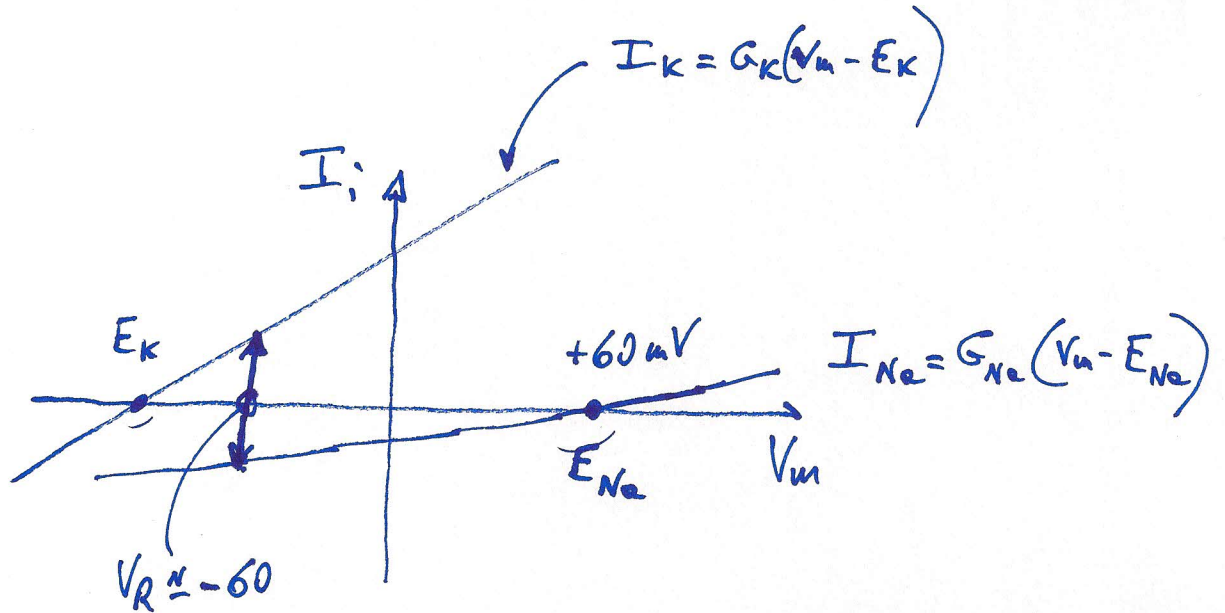


$V_m$  diventa  
meno negativo  
(depolarizza)

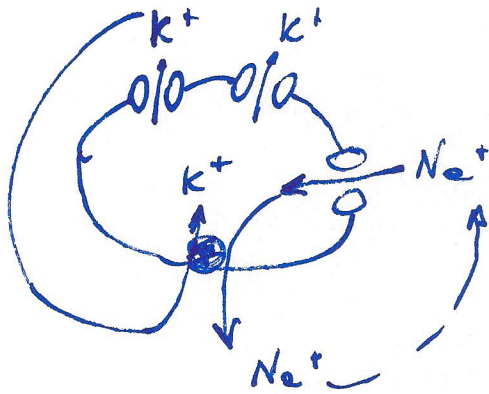
fino a raggiungere

uno STATO STAZIONARIO  
(i.e.  $V_R$ )

# INTRODUZIONE AL $V_{REST}$ ( $V_R$ )



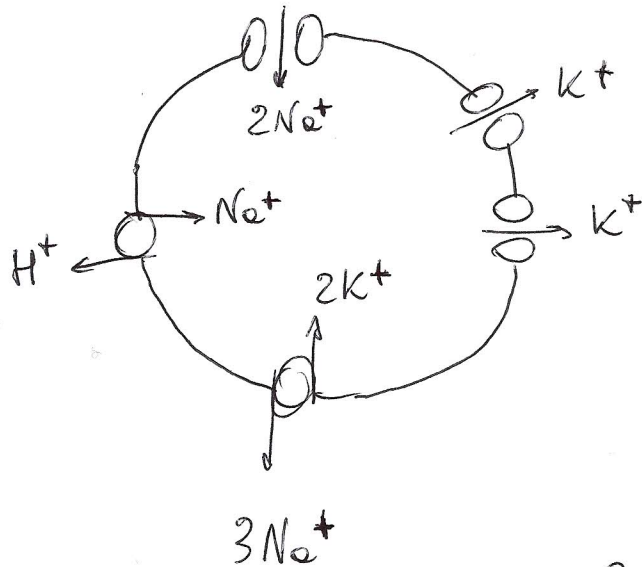
$$I_K + I_{Na} = 0$$



SIAMO AL  $V_R \neq E_K$   
 $\neq E_{Na}$

LA CELLULA CONSUMA ATP  
 per mantenere  $V_R$

PERCHÉ LA POMPA HA STECHIOMETRIA 3:2?



$$3Na_{in} = 3Na_o$$

$$2K_{in} = 2K_o$$

e  $1H^+$ ?

P.es. bilancio (come  
carica) da  $1HCO_3^-$  che  
esce.

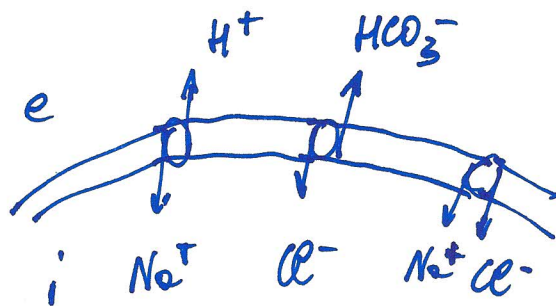
la cellula ha perso  $H_2CO_3$

$$\underline{I}_K + I_{Na} + I_{Cl} = 0 \quad \text{al } V \text{ di riposo}$$

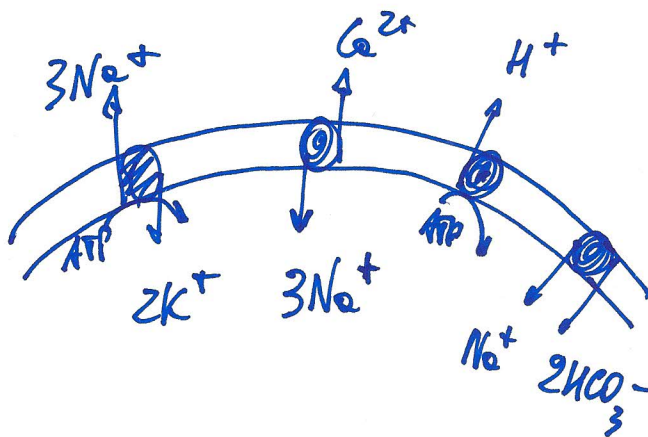
$$G_K (V_m - E_K) + G_{Na} (V_m - E_{Na}) + G_{Cl} (V_m - E_{Cl}) = 0$$

$$V_m = V_R = \frac{G_K E_K + G_{Na} E_{Na} + G_{Cl} E_{Cl}}{G_K + G_{Na} + G_{Cl}}$$

## TRASPORTATORI ELETTRONEUTRI



## TRASPORTATORI ELETTROGENICI



CONTRIBUTO DELLA POMPA DEL  $\text{Na}^+$   
AL  $V_{\text{REST}}$ .

$I_i$  = corrente passiva per lo ione  $i$

$I_{ip}$  = corrente di pompa " "

$r$  = rapporto  $\text{Na}^+ / \text{K}^+$  pompati

Allo stato stazionario:  $I_i + I_{ip} = 0$

Cioè:

$$I_{\text{Na}} + I_{\text{NaP}} = 0$$

$$I_{\text{K}} + I_{\text{KP}} = 0$$

$$r I_{\text{KP}} + I_{\text{NaP}} = 0$$

} SISTEMA

$$r I_{\text{K}} + I_{\text{Na}} = 0$$

Introducendo  $I_{\text{K}} = g_{\text{K}}(V_m - E_{\text{K}})$  e  $I_{\text{Na}} = g_{\text{Na}}(V_m - E_{\text{Na}})$ ,

si ricava

$$V_R = \frac{r g_{\text{K}} E_{\text{K}} + g_{\text{Na}} E_{\text{Na}}}{r g_{\text{K}} + g_{\text{Na}}}$$

ANALOGA A  
(MULLINS-NODA)

↓  
RICAVATA CON GHK



## ESEMPIO DEL CONTRIBUTO DELLA POMPA $\text{Na}^+/\text{K}^+$ AL $V_R$

1) SENZA POMPA :  $r = 1$ ,  $g_{\text{Na}}/g_{\text{K}} = 0.03$

$$\begin{aligned} V_R &= \frac{g_{\text{K}} E_{\text{K}} + g_{\text{Na}} E_{\text{Na}}}{g_{\text{K}} + g_{\text{Na}}} = \frac{E_{\text{K}} + g_{\text{Na}}/g_{\text{K}} E_{\text{Na}}}{1 + g_{\text{Na}}/g_{\text{K}}} = \\ &= \frac{-90 + 0.03(+60)}{1 + 0.03} \approx -85.6 \text{ mV} \end{aligned}$$

2) CON LA POMPA :  $r = 1.5$ ,  $g_{\text{Na}}/g_{\text{K}} = 0.03$

$$\begin{aligned} V_R &= \frac{r E_{\text{K}} + g_{\text{Na}}/g_{\text{K}} E_{\text{Na}}}{r + g_{\text{Na}}/g_{\text{K}}} = \frac{1.5(-90) + 0.03(+60)}{1.5 + 0.03} = \\ &\approx -89.4 \text{ mV} \end{aligned}$$

In questo caso il contributo è circa 4 mV (4.5% di  $V_R$ ); si può arrivare fino al 15%, in certe cellule di mammifero.

MODELLO TEORICO di GOLDMAN (N 1947)  
 PER RICEVERE LA FORMA DELLE  $I_i$  e  $V_R$

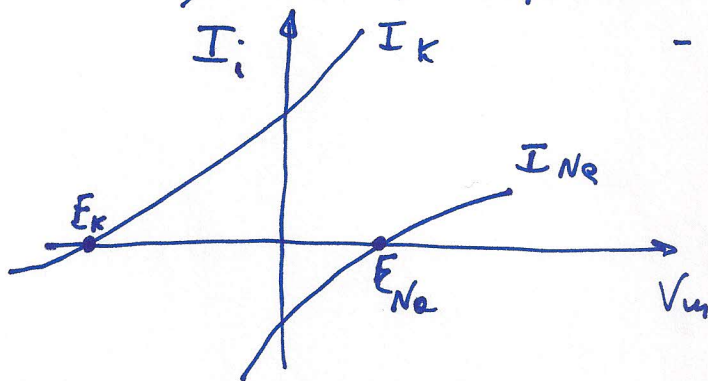
Al  $V_R$ :  $I_K + I_{Na} + \dots$  (p.es.  $I_{Ca}$ )... = 0

Ma che forma hanno  $I_K$  e  $I_{Na}$ ?

a) Si può usare  $I_i = G_i (V - E_i)$ , ricavando la forma di  $G_i$  sperimentalmente

b) Si può derivare una funzione che dia  $I_i$  in funzione di  $V_m$ , in base alle leggi dell'elettrodifusione:

E' l'equazione di GOLDMAN per la corrente (di un certo ione  $i$ ) che ha questa forma:



- ASSUNZIONI:
- CAMPO (ELETRICO TRANSMEMBRANA) COSTANTE
  - IONI CON FLUSSI INDIPENDENTI
  - NON SI TIENE CONTO DELLE POSSIBILI VARIAZIONI del N di canali o del loro "GATING" (non si sapeva che esistessero canali ionici nel 1947)

Ponendo  $I_{Na} + I_K + \dots + I_{altre} = 0$  si può ricavare  $V_R$ .

EQUAZIONE DI GOLDMAN PER IL  $V_m$  DI RIPOSO

$$V_R = \frac{RT}{F} \ln \frac{P_K [K^+]_o + P_{Na} [Na^+]_o + P_{Cl} [Cl^-]_i + \dots}{P_K [K^+]_i + P_{Na} [Na^+]_i + P_{Cl} [Cl^-]_o + \dots}$$

Spesso nominata Equazione di Goldman-Hodgkin-Katz  
(GHK) -

## **Bibliografia per canali $K_{2P}$ e $K_{IR}$ .**

Renigunta V. *et al.*

Much more than a leak: structure and function of  $K_{2P}$  channels.

*Pflügers Archiv* 467: 867-894, 2015.

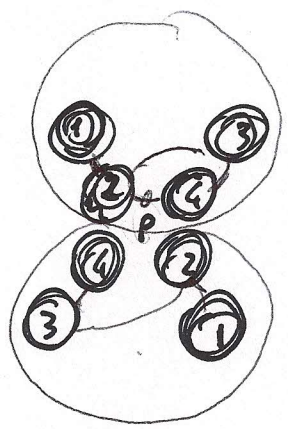
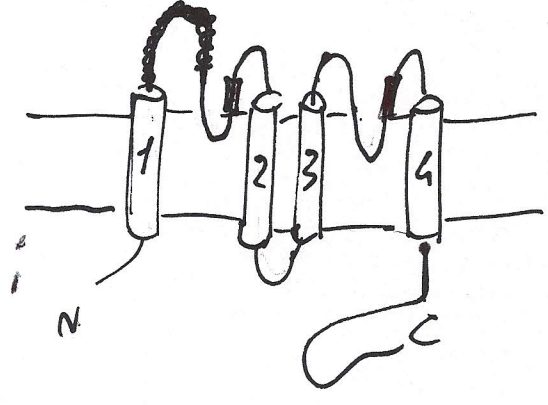
Sepulveda F.V. *et al.*

Molecular aspects of structure, gating, and physiology of pH-sensitive background  $K_{2P}$  and  $K_{IR}$   $K^+$ -transport channels.

*Physiological Reviews* 95: 179-217, 2015.

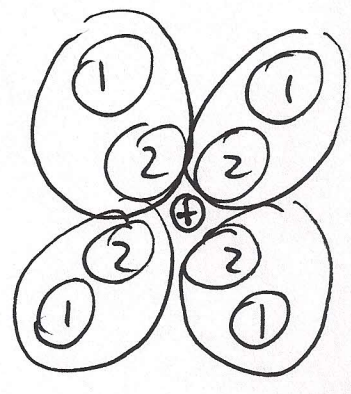
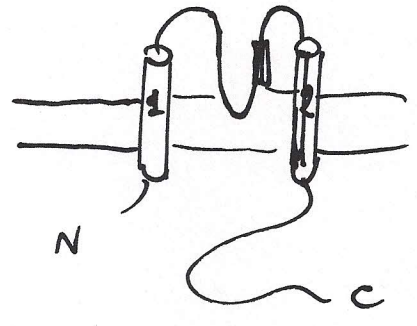
K<sub>2P</sub>

S1-S4  
TM1-TM4



S1S = self-interacting domain (S-S with the one on the other subunit)

K<sub>ir</sub>



K<sub>ir</sub> = inward rectifiers  
rectification outward!

amounts of truncated TREK-2 channels due to leaky scanning of the mRNA [251]. Thus, the combination of alternative splicing at the C-terminus and ATI can produce a large variety of protein isoforms.

Since the relative amount of ATI appears to vary between different tissues, any alteration of the biophysical properties of truncated TREK-1 channels may be functionally relevant. The first studies of the biophysical properties of TREK-1 channels in heterologous expression systems reported a single-channel conductance of 95–130 pS at positive potentials [111, 122, 206]. However, a later study showed that both in native rat cardiomyocytes and in heterologous expression systems TREK-1 channels with two different conductances were observed: one with ~40 pS and one with ~130 pS [156], as illustrated in Fig. 1a, b. The low-conductance channel was found to be more abundant, and in some cases, sudden transitions between the two conductances were found. For lack of an alternative explanation, the two different conductances were interpreted as two gating modes of the same channel [156]. With hindsight, it appears likely that the two different conductances were attributable to ATI; the observed sudden transitions between the two conductances [156] may have been coincidental. Thus, ATI of TREK-1 may indeed occur in the heart. In magnocellular neurosecretory cells of the hypothalamus, too, two different channels with TREK-1-like properties were found, and again the low-conductance channel ('a novel TREK-like channel') was found to be more abundant [111]. This might also be attributable to ATI.

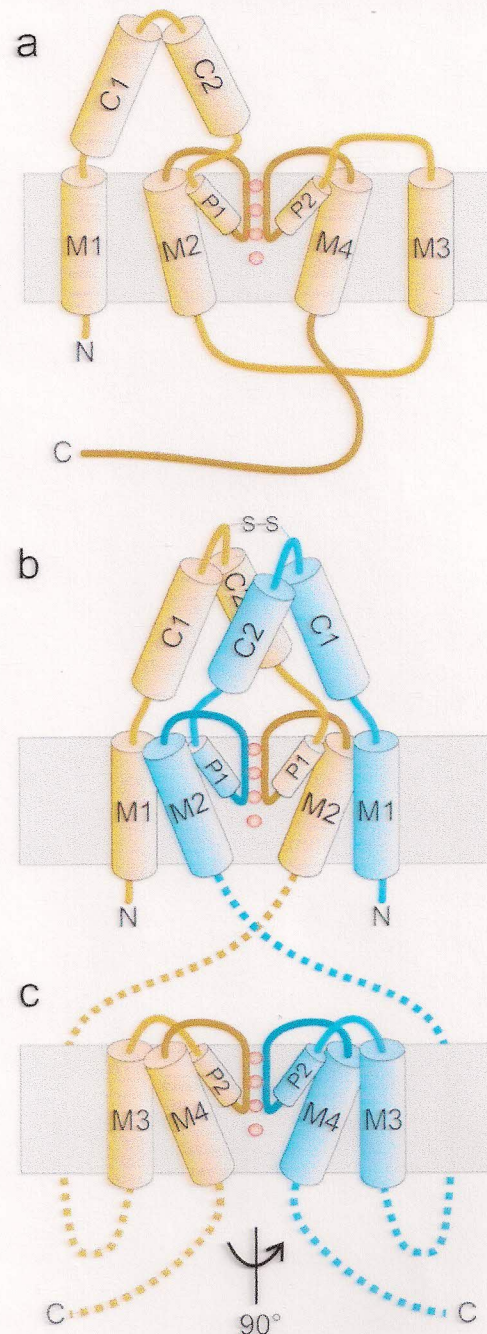
In conclusion, ATI can produce TREK channels with different properties both in native cells and in heterologous expression systems. The reason for the differences in single-channel conductance and the physiological relevance of having channels with different conductances in the same cells (or in different cells) remains to be established.

### The structure of $K_{2P}$ -channels

Beginning in 2012 [43, 181], there has been enormous progress in our understanding of the structure of  $K_{2P}$ -channels. Since this is relevant for analysing the many functions of  $K_{2P}$ -channels described in this special issue of Pflügers Archiv, we here provide a very simple overview of the main structural features of  $K_{2P}$ -channels (Fig. 4).

#### Basic properties

The crystal structure of two  $K_{2P}$ -channels, TWIK-1 and TRAAK, has been solved by Miller and Long [181] and Brohawn et al. [43]. Most of the structural characteristics of TWIK-1 and TRAAK were found to be similar: The channels have an extracellular cap (consisting of two cap helices, C1 and C2) that is unique among ion channel structures (Fig. 4a).



**Fig. 4** The structure of  $K_{2P}$ -channels. **a** Topology of  $K_{2P}$ -channels. **b** Sketch of the structure of the N-terminal part of the two subunits (including the M1, C1, C2, P1 and M2 domains). **c** Sketch of the structure of the C-terminal part of the two subunits (including the M3, P2 and M4 domains). The helices are not drawn to scale. For clarity, the pore helices are relatively small

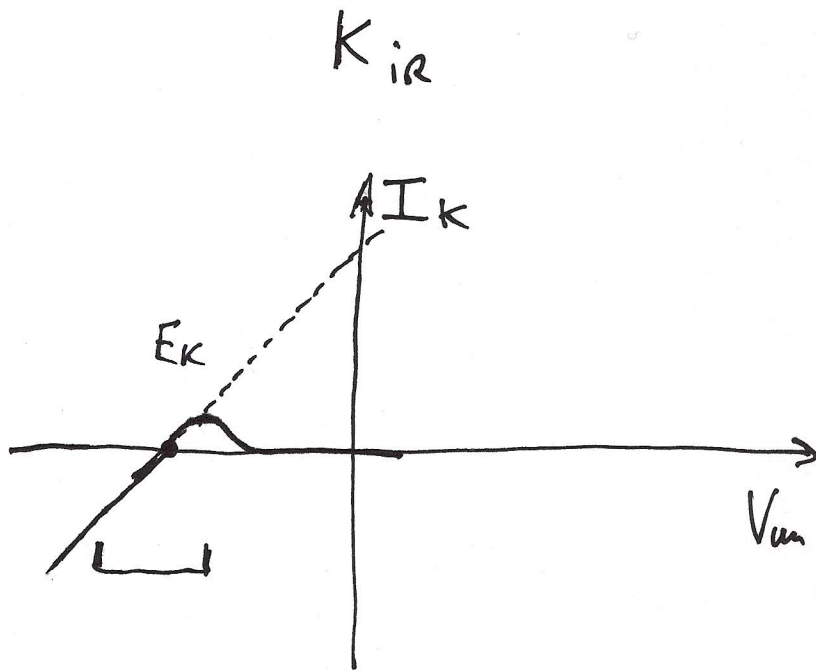
The cap extends ~35 Å above the extracellular membrane and covers an extracellular vestibule that has two lateral portals for  $K^+$  ions. The pore-lining helices, M2 and M4, run obliquely through the cell membrane, whereas the outer helices, M1 and M3, are more vertically oriented. These basic properties may apply to all  $K_{2P}$ -channels. Both groups found that the

## K2P SUBGROUPS BASED ON SEQUENCE HOMOLOGY

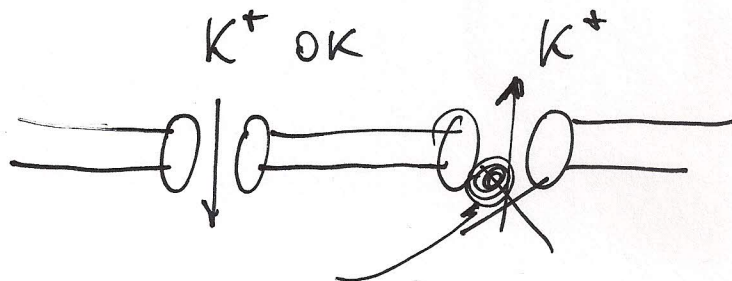
- TRIK**  
(K2P 1.1, 6.1, 7.1) 2P weakly inward rectifiers  
background channels, TRIK-1 can convert to a non-selective cation channel
- TREK**  
(K2P 2.1, 10.1, 4.1) TRIK-RELATED  
lipid and mechanosensitive  
thalamus, immune cells, heart, adrenal etc
- TASK**  
(K2P 3.1, 9.1, 15.1) TRIK-related ACID pH SENSITIVE  
(extracellular pH 6.8-7.5): hypoxia/ischemia, epileptic seizures, leukocyte activation, bone reabsorption, synaptic clefts, T-tubules in muscle.
- TALK**  
(K2P 5.1 = TASK-2  
K2P 16.1, 17.1) ALKALINE pH-ACTIVATED  
(inhibited by extrac. acidification but with pK much more alkaline).  
pancreas (secretion  $\text{HCO}_3^-$ ?), kidney
- THIK**  
(K2P 13.1, 12.1) HYPOTHALAMIC-INHIBITED  
ubiquitous, high expression in kidney, but also CNS.
- TRESK**  
(K2P 18.1) SPINAL CORD K2P  
high expression in sensory neurons (DRG and trigeminal ganglion, nociception)  
the only activated by  $\uparrow[\text{Ca}^{2+}]_i$

IR = RETTIFICATORI ENTRANTI (INWARD RECTIFIERS)

↳  $I_K$  FLUISCE PIÙ FACILMENTE IN ENTRATA che in USCITA.



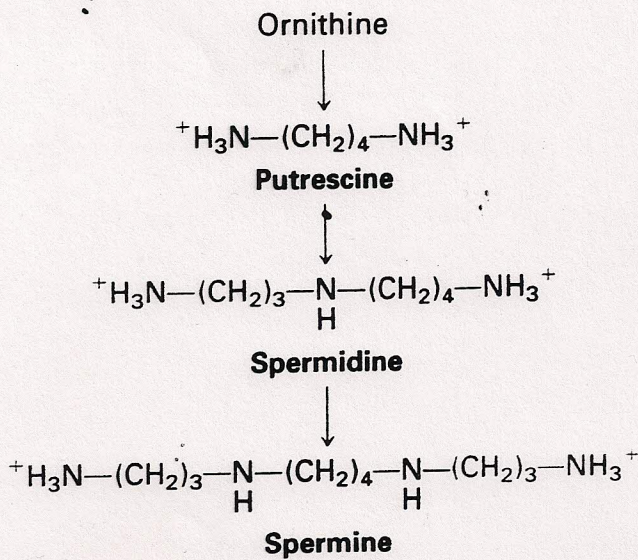
molto espressi p.es. negli ASTROCITI



CATIONI INTRACELLULARI



# CATIONI CHE BLOCCANO $I_{KIR}$ DAL LATO INTRACELLULARE



50-100  $\mu$ M intracellulare

+  $Mg^{2+}$

Kir 2.1  
2.2

skeletal muscle

cardiac " (IK1)

Kir 4.1

main Ik in astrocytes

4.1

brain, kidney<sup>+</sup>, stomach, sensory organs

4.2

" " + liver, pancreas, lung

5.1\*

" " , sensory organs

\* probably a modulatory subunit

generally high sensitivity to extracellular

$\text{Ba}^{2+}$  and  $\text{Cs}^{+}$  (but not Kir 2.1)

(differently from Kir 2.1)

generally inhibited by TEA's pH intrac.

+ basolateral, Kir 1.1 apical

$$I_i = \sum I_i \text{ (canali di classi diverse)}$$

p.es. per  $K^+$ :

$$I_K = G_K (V_m - E_K)$$

$$= \underbrace{G_{K2P}}_{\text{}} (V_m - E_K) + \underbrace{G_{K1R'}}_{\text{}} (V_m - E_K) + \text{ALTRI (p.es. voltaggio-dipendenti)}$$